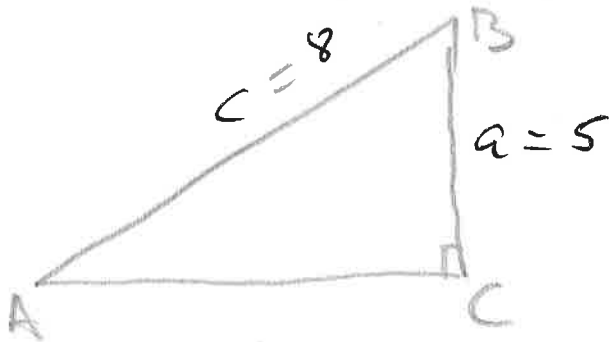


Nafn: Lawson

1. Gefinn er réttthyrndur þríhyrningur þar sem hliðarnar $a = 5$ og $c = 8$ eru gefnar. Finndu hliðina b og hornin A og B .



$$a^2 + b^2 = c^2$$

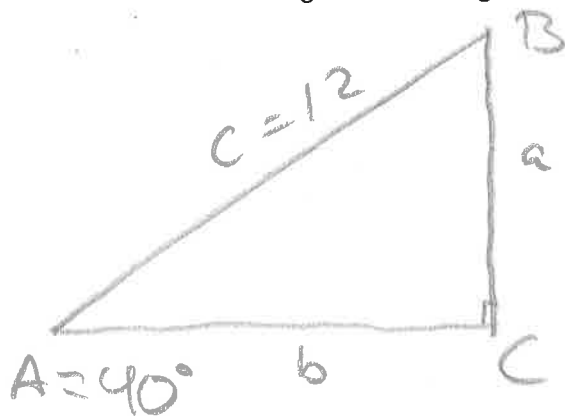
$$b = \sqrt{c^2 - a^2}$$

$$b = \sqrt{8^2 - 5^2} = \sqrt{39} \approx \underline{\underline{6.24}}$$

$$\sin(A) = \frac{a}{c} \rightarrow A = \sin^{-1}\left(\frac{a}{c}\right) = \sin^{-1}\left(\frac{5}{8}\right) = \underline{\underline{38.68^\circ}}$$

$$B = 180^\circ - C - A = 180^\circ - 90^\circ - 38.68^\circ = \underline{\underline{51.32^\circ}}$$

2. Gefinn er réttthyrndur þríhyrningur þar sem hliðin $c = 12$ og hornið $A = 40^\circ$. Finndu hornið B og hliðar a og b .



$$B = 90^\circ - 40^\circ = \underline{\underline{50^\circ}}$$

$$\sin(A) = \frac{a}{c} \rightarrow a = c \cdot \sin(A)$$

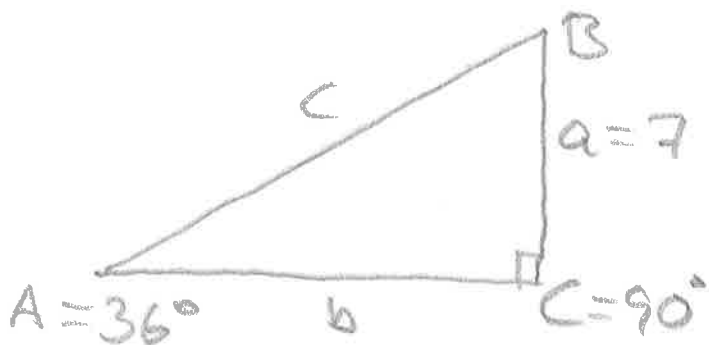
$$a = 12 \cdot \sin(40^\circ) = \underline{\underline{7.71}}$$

$$\cos(A) = \frac{b}{c} \rightarrow b = c \cdot \cos(A)$$

$$b = 12 \cdot \cos(40^\circ) = \underline{\underline{9.19}}$$

$$a^2 + b^2 = c^2 \rightarrow b = \sqrt{12^2 - 7.71^2} = \underline{\underline{9.19}}$$

3. Gefinn er rétthyrndur þríhyrningur þar sem hliðin $a = 7$ og hornið $A = 36^\circ$.
 Finndu hliðar b og c einnig hornið B

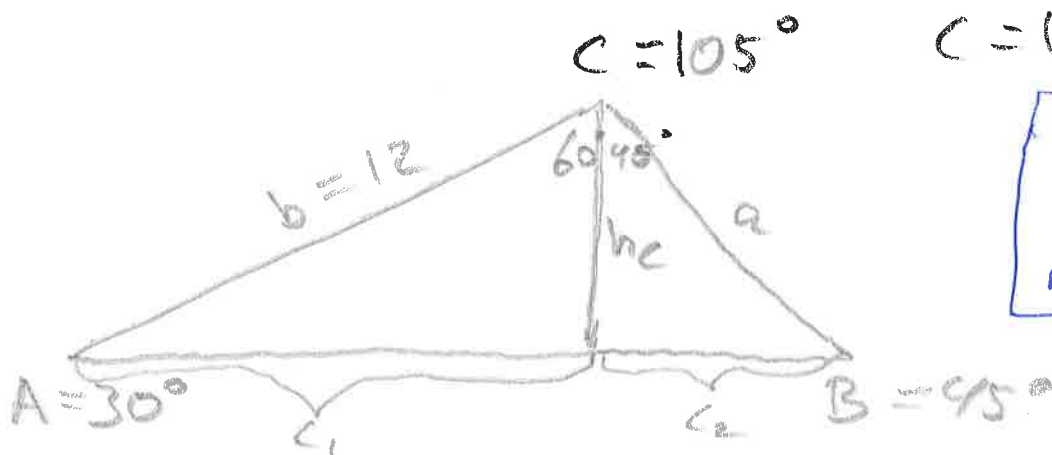


$$B = 90 - 36 = 54^\circ$$

$$\sin(A) = \frac{a}{c} \rightarrow c = \frac{a}{\sin(A)} = \frac{7}{\sin(36)} = \underline{\underline{11,9}}$$

$$\tan(A) = \frac{a}{b} \rightarrow b = \frac{a}{\tan(A)} = \frac{7}{\tan(36)} = \underline{\underline{9,63}}$$

4. Gefinn er þríhyrningur (ekki rétthyrndur) með hornið $A = 30^\circ$ og $B = 45^\circ$.
 Hliðin b hefur lengdina 12 $b = 12$
 Finndu hornið C hæðina h_c hliðina b og c . (teikna mynd)



$$C = 180 - 30 - 45 = 105^\circ$$

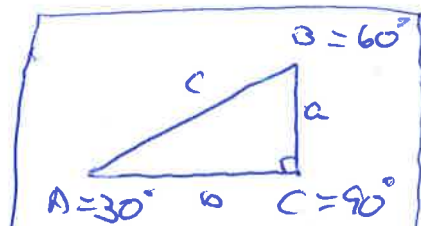
$$h_c = \frac{b}{2} = \frac{12}{2} = \underline{\underline{6}}$$

$$c_1 = h_c \cdot \sqrt{3} = 6\sqrt{3}$$

$$h_c = c_2 = 6$$

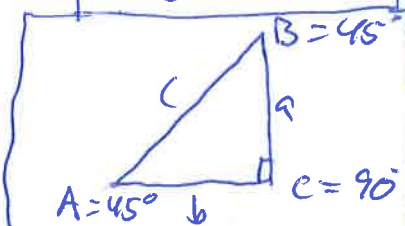
$$c = c_1 + c_2 = 6 + 6\sqrt{3} \quad (16,39)$$

$$a = c_2 \cdot \sqrt{2} = \underline{\underline{6\sqrt{2}}}$$



$$c = 2a$$

$$b = a \cdot \sqrt{3}$$



$$a = b$$

$$c = a\sqrt{2}$$